

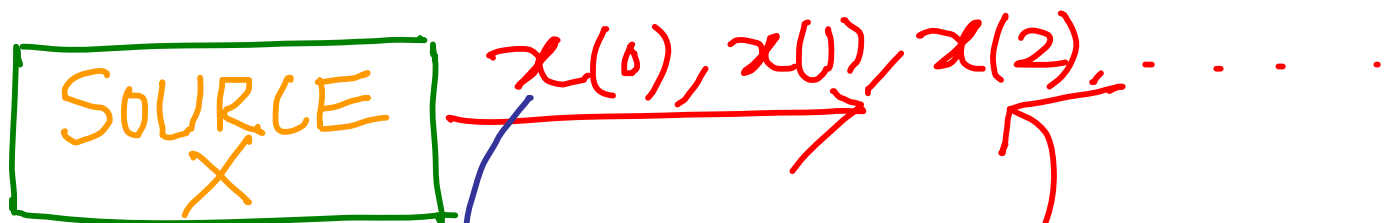
* SOURCE CODING

DATA COMPRESSION

Very important
in modern communication
Esp of audio/video/images.

Storage/Archive Multimedia Content

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graph TD; SC["* SOURCE CODING"] -- green arrow --> DC["DATA COMPRESSION"]; DC -- orange arrow --> SC; DC -- purple arrow --> SA["Storage/Archive Multimedia Content"];
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symbols in
Time generated
by source.

$$x(k) \in S = \{s_0, s_1, \dots, s_{n-1}\}$$

"Source Alphabet"

Discrete
Memoryless
Source (DMS)

Probabilities of symbols at any
time k , do not depend on
symbols generated previously.

$$P(x(k) = s_i | x(k-1), x(k-2), \dots, x(0))$$

$$= P(x(k) = s_i) = P_i$$

Probabilities of $x(k)$ are fixed and DO NOT depend on past symbols.

Discrete Memoryless Source.

✓ One of the most commonly employed source models.

SOURCE CODING:

Convert each symbol to a sequence of binary symbols or codewords.

would like to minimizing the average number of bits used to represent each symbol.

✓ Mapping from symbols to codewords is termed as a code.

Ex: consider $M = 4$

s_0, s_1, s_2, s_3

Fixed Length Code:

s_0	$\rightarrow$	1 1
s_1	$\rightarrow$	1 0
s_2	$\rightarrow$	0 1
s_3	$\rightarrow$	0 0

Each symbol
is represented by
2 bits

$\frac{10}{s_1} \quad \frac{01}{s_2} \quad \frac{00}{s_3} \dots$

$M = 4$ symbols.

Uniquely
Decodable.

Fixed Length
Code.

Low Complexity
of Decoding.

Variable Length Code:

$M=4$

Variable Length Code (VLC)

s_0	$\rightarrow$	0	—	1 bit
s_1	$\rightarrow$	1	—	1 bit
s_2	$\rightarrow$	00	—	2 bits
s_3	$\rightarrow$	11	—	2 bits

Different symbols are represented by different numbers of bits.

Problem:

$$\begin{array}{ccc} 0 & 0 & 0 \\ \hline s_0 & s_2 & \\ \hline s_0 & s_0 & s_0 \\ \hline s_2 & s_0 & \end{array}$$

↓ Same sequence 000
can correspond either to
 $s_0 s_2$, $s_2 s_0$ or $s_0 s_0 s_0$.

↓ Hence, code is NOT
uniquely Decodable.

↓ Uniquely Decodable:

Code is uniquely Decodable
if the original source
sequence can be reconstructed
perfectly from the coded
sequence.